

Remember "what does it take to prove" at least

1. $B = A^{-1}$
 $AB = \dots = I$

2. A, B commute
 $AB = \dots = BA$

3. To prove $LHS = RHS$
 $LHS = \dots$
 $= \dots$
 $= \dots$
 $= RHS$

4. A is non-singular
 (i) A^{-1} exists
 or (ii) $Ax = 0$ implies $x = 0$

5. V is subspace of \dots
 $\forall u, v \in V \dots$
 end at $\alpha u + \beta v \in V$

6. Lin. Dep.

Find/argue why $\exists \alpha_1, \dots, \alpha_n$, not all zero

$$\text{s.t. } \alpha_1 u_1 + \dots + \alpha_n u_n = 0$$

7. Lin. indep. of u, v, w

start: let $\alpha u + \beta v + \gamma w = 0$

$$\alpha = \beta = \gamma = 0$$

8. L.T.

$$T(u+v) = \dots = T(u) + T(v)$$

$$T(\alpha u) = \dots = \alpha T(u)$$

9. (u, v, w) is a basis of V

(i) Li. indep.

(ii) $V = \langle u, v, w \rangle$ (span argument)

or $\dim(V) = 3$ (dimension argument)